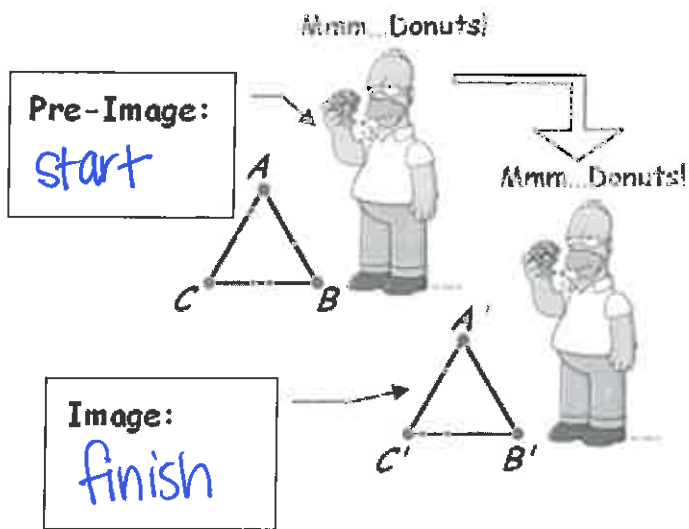
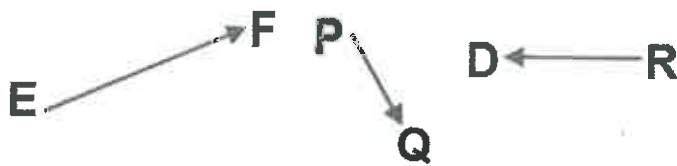


**Rigid Motion** – A *transformation* (movement) of a 2D figure in the plane such that **segment length** and **angle measure** are preserved.

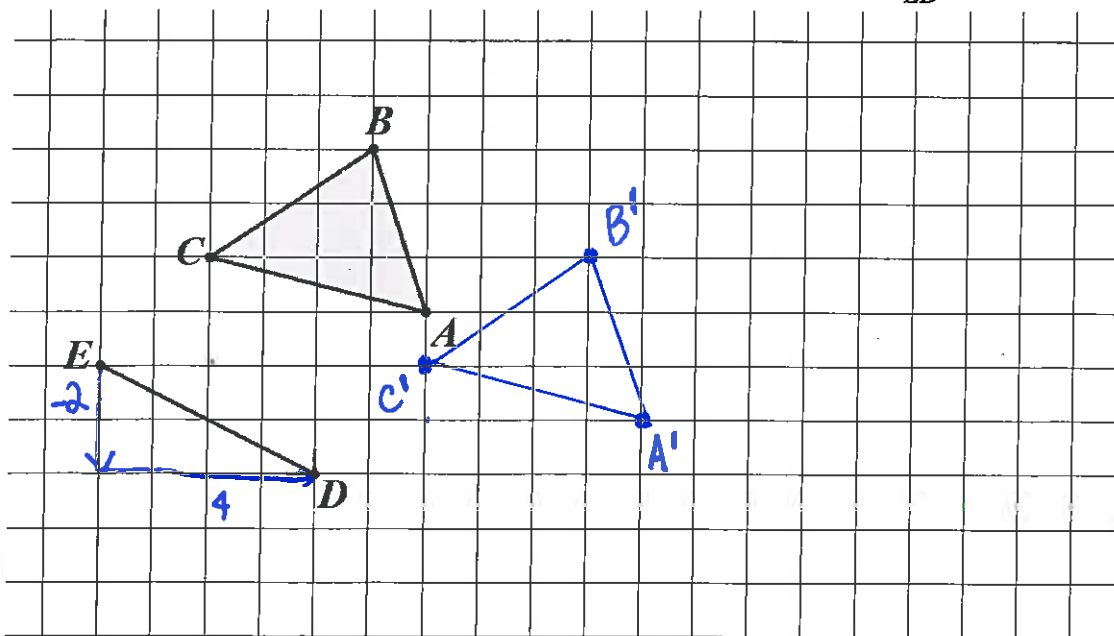
**Translation** – Moving a 2D figure a given distance in a given direction. This is referred to as translating along a **Vector**.



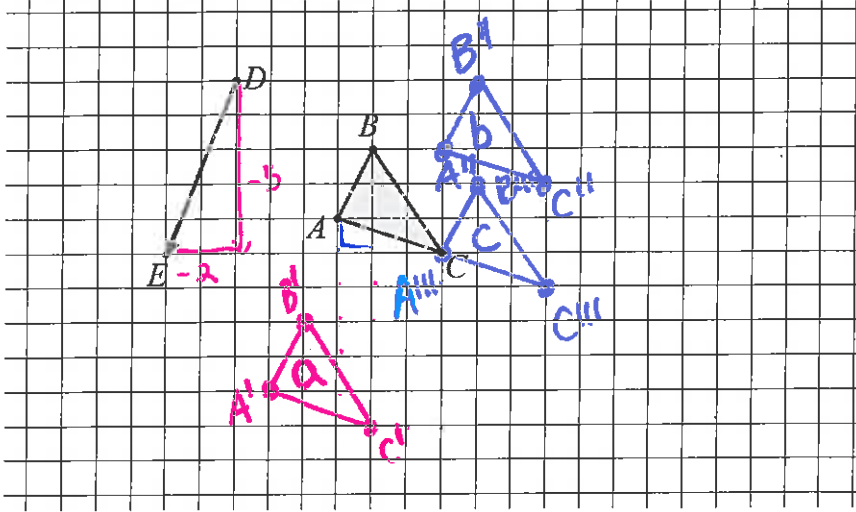
**Vector** – a distance and direction represented by a ray.



1. Graph and label the image of  $\triangle ABC$  under the transformation:  $T_{\vec{ED}}$  ← translation along vector  $\vec{ED}$



2. Graph and label the image of  $\triangle ABC$  under each transformation:



a. Translate  $\triangle ABC$  along vector  $\overline{DE}$

b.  $T_{\langle 3, 2 \rangle}$  right 3, up 2

c.  $T_{\overline{AC}}$  down 1 over 3

d. To be a *Rigid Motion*, translation must preserve **segment length** and **angle measure**. Give evidence from your graphs to demonstrate how each is preserved.

Segment Length

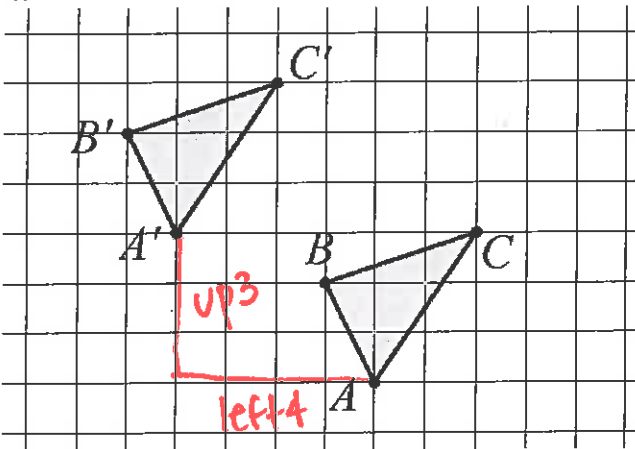
Angle Measure

$AC = \sqrt{1^2 + 3^2} = \sqrt{1+9} = \sqrt{10}$      $A'C' = \sqrt{1^2 + 3^2} = \sqrt{1+9} = \sqrt{10}$      $A''C'' = \sqrt{1^2 + 3^2} = \sqrt{1+9} = \sqrt{10}$      $A'''C''' = \sqrt{1^2 + 3^2} = \sqrt{1+9} = \sqrt{10}$     (a protractor or tracing paper may be helpful)

Corresponding  $\angle$ s are  $\cong$ .

Corresponding lengths are congruent.

4.



a. Precisely describe the translation that maps  $\triangle ABC$  onto  $\triangle A'B'C'$ .

\* A translation of  $\triangle ABC$  4 units left & 3 units up.

\*  $T_{(-4, 3)}$

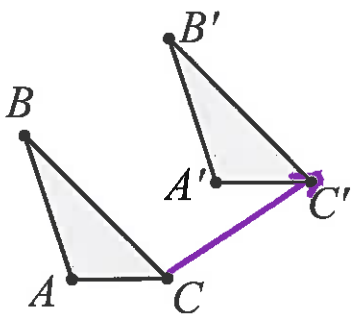
\*  $T_{\langle -4, 3 \rangle}$

b. Precisely describe the translation that maps  $\triangle ABC$  onto  $\triangle A'B'C'$ .

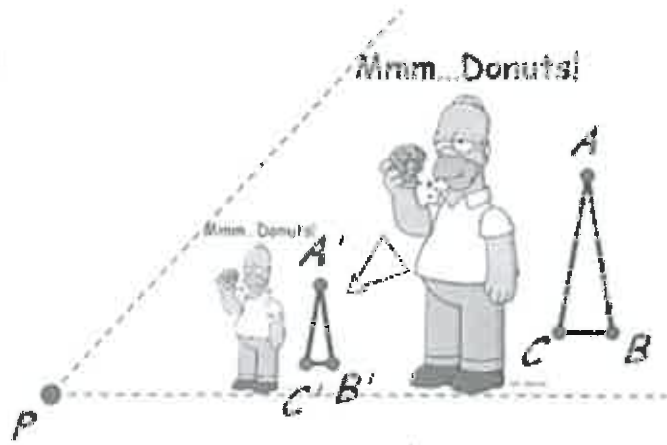
Translation along vector  $\overrightarrow{CC'}$  of  $\triangle ABC$

OR

$T_{\overrightarrow{CC'}}$



**Dilation** – Enlarging or shrinking a 2D figure proportionally with respect to a given center point.



5. This picture of Homer Simpson and  $\triangle ABC$  represents a Dilation.

a. Which point is the center of dilation?

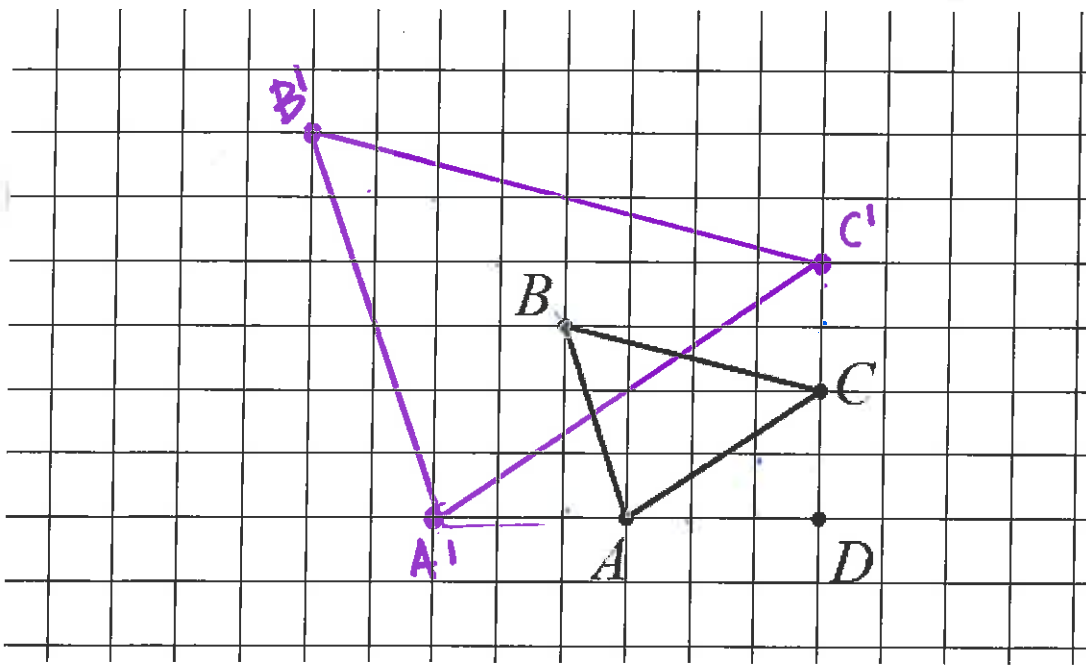
• P

b. Is Dilation a Rigid Motion? Explain why or why not.

NO, dilation is not a rigid motion, length is not preserved but  $\angle$  measure is preserved.

$$\text{Dilation Factor} = \frac{\text{Image (Finish)}}{\text{Pre-image (start)}}$$

6a. Graph and Label the image of  $\triangle ABC$  under the transformation:  $D_{D,2}$  ← a dilation around D by a factor of 2.



Dilate by a factor of  $\frac{A'B'}{AB}$

6b. To be a *Rigid Motion*, Dilation must preserve **segment length** and **angle measure**. Obviously segment length was not preserved. Give evidence from your graphs to demonstrate:

**Segment Length Not Preserved**

$$AC = \sqrt{13} \quad A'C' = \sqrt{52}$$

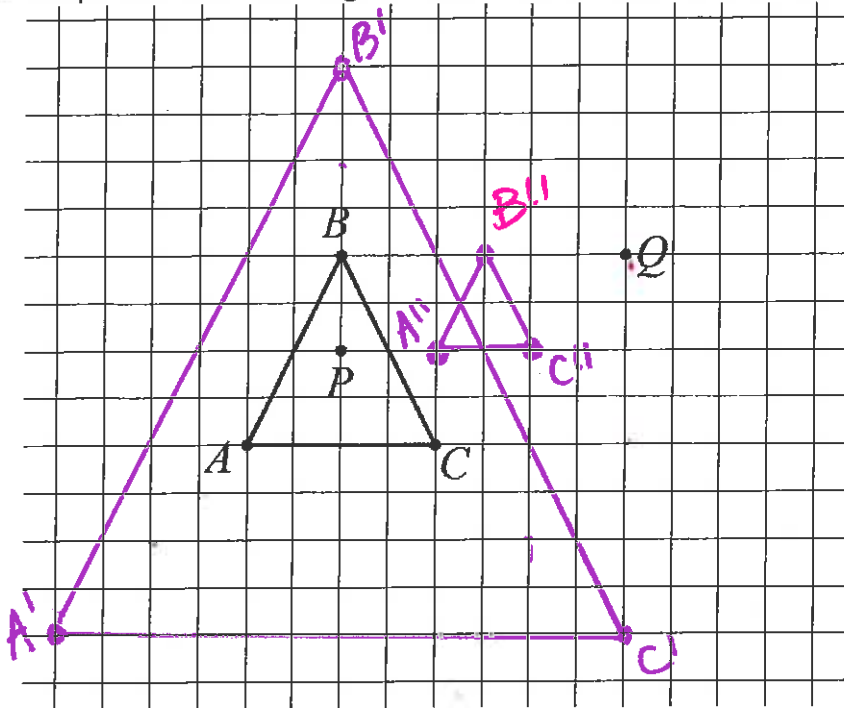
$$\overline{AC} \neq \overline{A'C'}$$

**Angle Measure is Preserved**

(a protractor or tracing paper may be helpful)

$\angle$  measure is preserved.

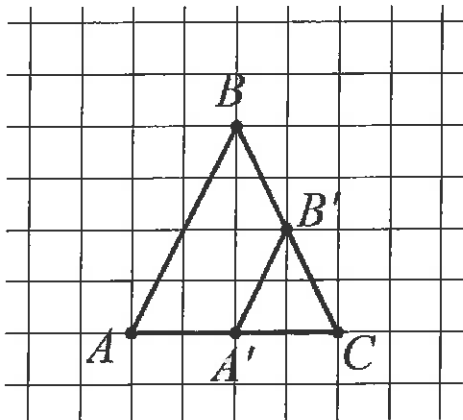
7. Graph and label the image of  $\triangle ABC$  under each transformation:



a.  $D_{P,3}$

b. About center  $Q$  such that  $\frac{A''B''}{AB} = \frac{1}{2}$ .

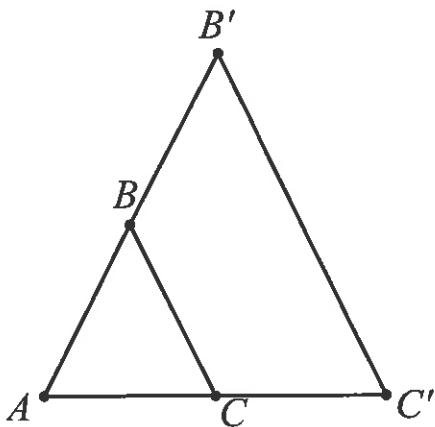
8.



a. Describe precisely the transformation that maps  $\triangle ABC$  onto  $\triangle A'B'C'$ .

Dilate  $\triangle ABC$  about point  $C$  by a factor of  $\frac{1}{2}$ .

b. Describe precisely the transformation that maps  $\triangle ABC$  onto  $\triangle AB'C'$ .



A dilation of  $\triangle ABC$  ~~by~~ about point  $A$  by a factor  $\frac{AC'}{AC}$ .